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Interpretable VAE-based predictive modeling for enhanced complex industrial systems dependability in developing countries

Abstract

Rapid industrial growth in developing countries requires robust maintenance, and predictive maintenance (PdM) is a key solution to minimize downtime and costs. However, complex industrial systems and the acute scarcity of tagged data, particularly in African contexts, pose significant implementation challenges for traditional PdM approaches. This research proposes a novel predictive maintenance approach using a Variational Autoencoder (VAE) specifically designed to address data scarcity and improve interpretability in complex industrial systems in developing countries. The VAE is trained on real operational data and learns complex system patterns. Its interpretability is a key feature, achieved through visualization and analysis of latent space, providing deeper insight into system behavior. The VAE model demonstrates strong and consistent performance in anomaly detection and data reconstruction, as evidenced by low Mean Squared Error (MSE) and favorable R^2 values, and is rigorously validated through cross-validation, confirming its robustness and generalizability. This underscores its ability to accurately model complex system dynamics across diverse data subsets. This interpretable VAE model offers a powerful and promising predictive maintenance solution for improving the reliability of complex industrial systems in developing countries. By enabling early anomaly detection, synthetic data generation, and improved decision making, this approach has the potential to significantly contribute to the growth and sustainability of industries in these regions through reduced downtime and optimized resource utilization.

1. INTRODUCTION

1.1. Background and motivation

Developing countries are experiencing a rapid industrialization process, with significant investments in manufacturing, mining, and energy sectors. This growth is crucial for economic development and social progress, offering pathways to improved livelihoods and sustainable growth. However, the sustained growth and competitiveness of these industries critically hinge on the reliability and efficiency of their industrial systems. Downtime due to equipment failures can lead to significant financial losses, not only through direct repair costs and lost production but also by disrupting supply chains, affecting market competitiveness, and potentially posing safety hazards to personnel. This unreliability can impede national economic targets and broader development goals.

Traditional maintenance strategies, often based on scheduled inspections and reactive repairs, are proving increasingly inadequate in addressing the complexities and dynamic nature of modern industrial systems (Geisbush & Ariaratnam, 2023; Nunes et al., 2023). These reactive approaches often result in unplanned downtime, inefficient resource allocation, and suboptimal operational performance.

Predictive Maintenance (PdM) offers a promising and advanced solution by leveraging data-driven techniques to anticipate potential failures and schedule maintenance proactively (Ma et al., 2024; Nunes et al., 2023). PdM systems utilize sensors to collect real-time data on equipment performance, which is then

rigorously analyzed using sophisticated machine learning algorithms to identify anomalies and predict potential failures (Chen et al., 2023; Shahin et al., 2023). This proactive approach enables more efficient resource allocation, significantly reduces costly unplanned downtime, extends equipment lifespan, and fundamentally improves overall system reliability and operational efficiency. For developing countries, embracing such advanced methodologies is essential to maximize the return on industrial investments and foster sustainable growth.

1.2. Challenges in applying PdM in developing countries contexts

Despite the transformative potential of PdM, its effective implementation in African contexts faces several distinct and formidable challenges that limit the applicability of traditional machine learning approaches.

Data Scarcity and Quality: Industrial data collection and management systems are often underdeveloped in Africa, resulting in limited availability of high-quality, comprehensive, and labeled data for training robust machine learning models (Tapo et al., 2024; Mwanza et al., 2023). This scarcity makes it difficult to effectively train traditional supervised models, which typically require large, diverse datasets.

Complex industrial systems: Many African industries operate intricate, often aging systems with complex interdependencies, making it difficult to accurately model and predict their behavior using simpler statistical or linear models (Samuel, 2024; Schlüter et al., 2023). The underlying patterns are non-linear and high-dimensional, requiring advanced models capable of capturing these nuances.

Limited expertise and resources: The shortage of professionals skilled in advanced data analytics, machine learning, and PdM technologies, coupled with financial constraints, can significantly hinder the adoption and successful implementation of sophisticated PdM solutions (Baroud et al., 2024; Karippur et al., 2024). This underscores the need for models that are not only effective, but also interpretable and user-friendly for local teams.

Cybersecurity concerns: The increasing reliance on digital technologies in industrial systems raises legitimate concerns about cybersecurity vulnerabilities and potential data breaches (Möller, 2023; Rahmanović et al., 2023). Ensuring the security and integrity of data within PdM systems is paramount to maintaining their reliability and trustworthiness.

1.3. Objectives and contributions

This research directly addresses the aforementioned challenges of applying advanced PdM in African contexts by proposing a novel approach based on interpretable variational autoencoders (VAEs). VAEs are particularly well-suited for these environments due to their ability to learn complex data distributions, generate synthetic data, and perform anomaly detection even with limited labeled data, while also providing ways to understand their internal decision making.

The primary objective of this study is to develop a robust, data-efficient, and interpretable VAE-based predictive maintenance model specifically tailored for African industrial environments, where traditional approaches often fall short. This includes effectively capturing the complex dynamics of industrial systems even with limited or unlabeled data, overcoming a significant hurdle in developing regions. In addition, the study aims to improve the interpretability of the model by analyzing its latent space representation, providing critical insights into the underlying health of the system and facilitating informed, actionable decision-making by maintenance engineers, even those without deep AI expertise.

Through these efforts, this research seeks to rigorously evaluate the model's performance on real-world industrial data from an African context, specifically from a large industrial mill. By demonstrating its practical potential to significantly improve system reliability and reduce maintenance costs in challenging environments, this work provides a practical and transferable solution for improving the operational efficiency of complex industrial systems. Ultimately, this research contributes to the sustainable industrial growth and economic progress of African nations, with the interpretability feature empowering local teams and fostering greater adoption and confidence in advanced maintenance technologies.

2. LITERATURE REVIEW

This section provides an overview of existing research on predictive maintenance (PdM) and the application of machine learning techniques, particularly variational autoencoders (VAEs), to improve the reliability of

industrial systems. We focus on recent advances in the field, highlighting relevant studies from 2022, 2023, and 2024.

2.1. Predictive maintenance in industrial systems

Predictive maintenance (PdM) has emerged as a key strategy for optimizing industrial operations and minimizing downtime (Abouelyazid, 2023; Dayo-Olupona et al., 2023; Chen et al., 2023). Traditional maintenance approaches, based on scheduled inspections and reactive repairs, are often inefficient and costly (Dalhatu et al., 2023; Yazdi, 2024). PdM leverages data-driven techniques to predict potential failures and schedule maintenance proactively, leading to improved resource allocation, reduced downtime, and increased system reliability (Patil et al., 2023; Ucar et al., 2024; Meddaoui et al., 2023).

Machine learning (ML) algorithms have played a crucial role in the development of sophisticated PdM systems (Rosati et al., 2023; Ooko & Karume, 2024; Daoudi et al., 2023). These algorithms can analyze sensor data to identify patterns, detect anomalies, and predict future equipment behavior. Various ML techniques have been employed for PdM, including:

- Regression models: Linear regression, support vector regression, and decision trees are commonly used to predict remaining useful life (RUL) or failure probability (Xu et al., 2020; Drakaki et al., 2022).
- Classification models: Logistic regression, support vector machines, and random forests are used to classify device states as healthy or faulty (Yurek et al., 2022; Niyonambaza et al., 2020).
- Clustering algorithms: K-means and hierarchical clustering can identify groups of similar equipment behavior, facilitating anomaly detection and condition monitoring (Carratù et al., 2023).

2.2. Deep learning for predictive maintenance

Deep learning (DL) techniques, particularly deep neural networks (DNNs), have shown promising results in PdM applications due to their ability to handle complex data patterns and learn hierarchical representations (Wang et al., 2022; Khalil et al., 2021; Pandey et al., 2023). Several DL architectures have been explored for PdM, including:

- Convolutional Neural Networks (CNNs): CNNs are effective in extracting spatial features from sensor data, making them suitable for applications involving image or time-series data (Moskolai et al., 2021; Wang et al., 2021; Wang et al., 2023).
- Recurrent Neural Networks (RNNs): RNNs are designed to handle sequential data, making them well-suited for analyzing time-series data from industrial systems (Weerakody et al., 2021; Fatima & Rahimi, 2024; Mienye et al., 2024).
- Long Short-Term Memory (LSTM) Networks: LSTMs are a type of RNN that can effectively capture long-term dependencies in time-series data, improving the accuracy of RUL predictions (Ma & Mao, 2020).

2.3. Variational autoencoders for predictive maintenance

Variational Autoencoders (VAEs) are a powerful generative model that can learn a compressed representation of the input data, enabling efficient data reconstruction and anomaly detection (Oluwasanmi et al., 2021; Neloy & Turgeon, 2024; Ehrhardt & Wilms, 2022). VAEs have recently gained attention in the field of PdM due to their ability to:

- Dealing with data scarcity: VAEs can effectively learn from limited data by capturing the underlying data distribution and generating synthetic data for training other models (Akkem et al., 2024; Goyal & Mahmoud, 2024; Figueira & Vaz, 2022).
- Improve anomaly detection: VAEs can detect anomalies by reconstructing the input data and measuring the reconstruction error. Large reconstruction errors indicate potential deviations from normal behavior (Niu et al., 2020; Angiulli et al., 2020).
- Improve interpretability: The latent space representation learned by VAEs can provide insight into system behavior and facilitate interpretation of anomaly detection results (Neloy & Turgeon, 2024; Costa & Sánchez, 2022).

3. MATERIALS AND METHODS

This section outlines the core concepts and develops the mathematical background for the reliability of complex industrial systems. To facilitate a clear understanding of the generative models central to this research, Fig.1 presents the basic architecture of a Variational Autoencoder (VAE), which forms the foundation of our proposed predictive maintenance model.

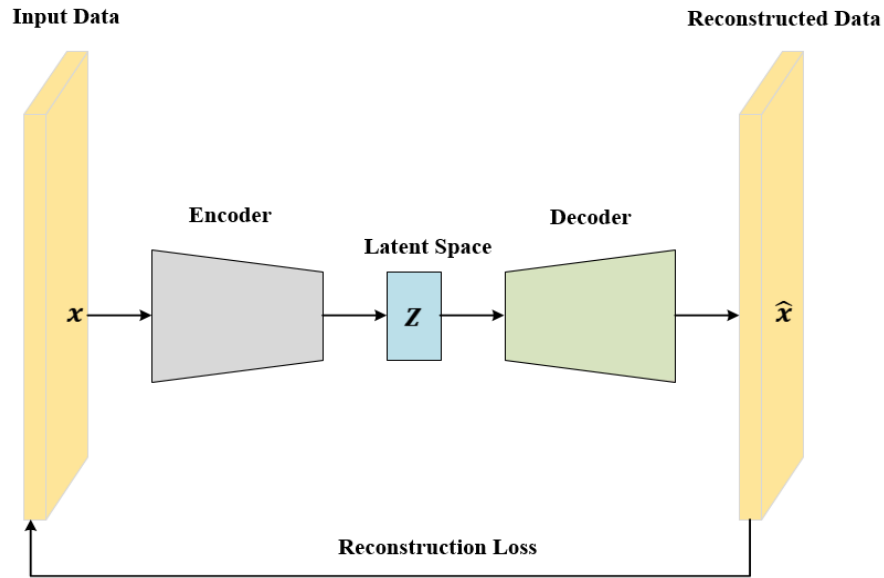


Fig. 1. Basic architecture of a VAE

3.1. Theoretical background

3.1.1. Variational autoencoders

Variational Autoencoders (VAEs) are a powerful class of generative models that combine the principles of deep learning with probabilistic inference. Unlike traditional autoencoders, which focus primarily on learning compact representations, VAEs introduce a probabilistic framework that enables them to generate new data samples and perform various tasks related to representation learning.

3.1.2. Core concepts

The central concept behind VAEs is the use of latent variables, which are low-dimensional representations that capture the essential characteristics of the input data. These latent variables are assumed to be drawn from a prior distribution. The VAE architecture employs two neural networks:

1. **Encoder:** The encoder maps the input data to a distribution over the latent space. This distribution is parameterized by its mean and variance, which are the outputs of the encoder network.
2. **Decoder:** The decoder network takes a sample from the latent space and attempts to reconstruct the original input data. The decoder is trained to maximize the likelihood of the input data given the latent sample.

3.1.3. The variational objective

The training of a VAE revolves around the optimization of a variational objective function consisting of two terms:

1. **Reconstruction Loss:** This term measures the discrepancy between the reconstructed data and the original input. It encourages the VAE to learn meaningful representations that can be used to accurately reconstruct the input.

2. KL Divergence: This term quantifies the difference between the learned posterior distribution over the latent space and the prior distribution. It acts as a regularizer, encouraging the learned posterior to be close to the prior.

3.1.4. Notation

- D : The full data set.
- X : Represents the observed data or model input.
- $X \sim D$ indicates that the observed data X is sampled from D .
- Z : Represents a latent representation or an abstract version of the input data X capturing its most important features.
- $P_\theta(Z|X)$: The conditional probability of Z given X also called the posterior distribution. It encodes input data X into the latent space Z ; (inference).
- $P_\theta(X|Z)$: The conditional probability of X given Z also called the likelihood.
- $P_\theta(X)$: The marginal probability. It decodes or generate new data X from the latent representation Z (generation).

3.1.5. Problem formulation

The core idea is to find a common distribution:

$$P_\theta(z, x) = P_\theta(z) \cdot P_\theta(x|z) \quad (1)$$

Where $P_\theta(z, \theta)$ is a multivariate unit Gaussian. The goal is to obtain the optimal parameters θ for the model such that $P_\theta(x) \approx P_\theta(x, \theta)$. This is achieved by maximizing the marginal likelihood $P_\theta(x, \theta)$.

It can be extended by showing that the marginal probability can be expressed as an integral over the latent space z

$$P_\theta(x) = \int_z P_\theta(z, x) dz = \int_z P_\theta(z) \cdot P_\theta(x|z) dz \quad (2)$$

Equation (2) reflects the core idea of modeling the data x as generated from some underlying latent representation z . The joint distribution $P_\theta(z, x)$ is factorized into the product of a prior distribution over the latent space $P_\theta(z)$ and the likelihood $P_\theta(x|z)$, which describes how the observed data is generated from the latent variables.

However, directly computing this integral is often intractable due to the complexity of the latent space and the potentially high-dimensional nature of the data. To address this intractability, we resort to the Bayesian framework.

Bayes' theorem allows us to express the posterior distribution $P_\theta(z|x)$, which represents the probability of the latent representation given the observed data:

$$P_\theta(z|x) = \frac{P_\theta(z) \cdot P_\theta(x|z)}{P_\theta(x)} \quad (3)$$

However, both the marginal likelihood $P_\theta(x)$ and the posterior distribution $P_\theta(z|x)$ remain intractable. To circumvent this challenge, we employ variational inference. This approach involves approximating the true posterior distribution $P_\theta(z|x)$ with a more manageable distribution $Q_\phi(z|x)$ parameterized by ϕ . The goal is to find the optimal parameters ϕ such that the approximation Q is as close as possible to the true posterior P . Implying we should instead approximate the posterior through variational inference which is a process to approximate some target distribution P with an approximation Q parameterized by ϕ such that by optimizing ϕ the two distributions (P and Q) can be as close as possible.

This is mathematically expressed as:

$$Q_\phi(z|x) \approx P_\theta(z|x) \quad (4)$$

To measure the closeness between the two distributions, we utilize the Kullback-Leibler (KL) divergence, which serves as the objective function for optimization.

The KL divergence serves as a measure of dissimilarity between two probability distributions and is inherently non-negative.

Assuming that: $Q_\theta = Q_\phi(z|x)$ and $P_\theta = P_\theta(z|x)$

The KL divergence can be written as:

$$D_{KL}(Q_\phi \| P_\theta) = \int_Z Q_\phi \cdot \log\left(\frac{Q_\phi}{P_\theta}\right) dz \quad (5)$$

$$\begin{aligned} &= E_{Q_\phi} \left[\log \left(\frac{Q_\phi}{P_\theta} \right) \right] \\ &= E_{Q_\phi} [\log Q_\phi] - E_{Q_\phi} [\log P_\theta] \\ &= E_{Q_\phi} [\log Q_\phi] - E_{Q_\phi} \left[\log \frac{P_\theta(z, x)}{P_\theta(x)} \right] \\ &= E_{Q_\phi} [\log Q_\phi] - E_{Q_\phi} [\log P_\theta(z, x)] + E_{Q_\phi} [\log P_\theta(x)] \\ &= \log P_\theta(x) - E_{Q_\phi} [\log P_\theta(z, x) - \log Q_\phi] \\ \log P_\theta(x) &= D_{KL}(Q_\phi \| P_\theta) + E_{Q_\phi} [\log(z, x) - \log Q_\phi] \end{aligned} \quad (6)$$

Given that D_{KL} is non-negative,

$$\log P_\theta(x) \geq E_{Q_\phi} [\log(z, x) - \log Q_\phi] \quad (7)$$

The expression from equation (6):

$E_{Q_\phi} [\log(z, x) - \log Q_\phi]$ is referred to as the Evidence Lower Bound (ELBO).

Our objective is to maximize the ELBO. By doing so, we indirectly maximize the log-likelihood of the data, $\log P_\theta(x)$, and minimize the KL divergence $D_{KL}(Q_\phi \| P_\theta)$. Maximizing the ELBO allows us to simultaneously optimize both the generative model and the inference model without needing to explicitly calculate $P_\theta(x)$.

To achieve this maximization, we employ stochastic gradient descent. We define the loss function $L(x)$ as the negative of the ELBO:

$$L(x) = -E_{Q_\phi} \left[\log \frac{P_\theta(z, x)}{Q_\phi(z|x)} \right] \quad (8)$$

$$\nabla_{\theta, \phi} L(x) = -\nabla_{\theta, \phi} \left(E_{Q_\phi} \left[\log \frac{P_\theta(z, x)}{Q_\phi(z|x)} \right] \right) \quad (9)$$

Taking the gradient of the loss function with respect to θ :

$$\begin{aligned}
\nabla_{\theta} \left(E_{Q_{\phi}}(z|x) [Log P_{\theta}(z, x) - Log Q_{\phi}(z|x)] \right) &= \nabla_{\theta} \left(\int_z (Q_{\phi}(z|x) [Log P_{\theta}(z, x) - Log Q_{\phi}(z|x)]) dz \right) \\
&= \int_z (Q_{\phi}(z|x) \nabla_{\theta} [Log P_{\theta}(z, x) - Log Q_{\phi}(z|x)]) dz \\
&= E_{Q_{\phi}}(z|x) \nabla_{\theta} [Log P_{\theta}(z, x) - Log Q_{\phi}(z|x)]
\end{aligned} \tag{10}$$

This derivation shows that when optimizing ELBO with respect to θ , we can exchange the gradient and expectation operators, simplifying the computation and allowing the use of Monte Carlo estimation for efficient gradient updates.

$$E_{Q_{\phi}}(Z | x) \nabla_{\theta} [Log P_{\theta}(z, x) - Log Q_{\phi}(Z | x)] \approx \frac{1}{L} \sum_{i=1}^L \nabla_{\theta} [Log P_{\theta}(z, x)] \tag{11}$$

Taking the gradient of the loss function with respect to ϕ :

$$\begin{aligned}
\nabla_{\phi} \left(E_{Q_{\phi}}(z|x) [Log P_{\theta}(z, x) - Log Q_{\phi}(z|x)] \right) &= \nabla_{\phi} \left(\int_z (Q_{\phi}(z|x) [Log P_{\theta}(z, x) - Log Q_{\phi}(z|x)]) dz \right) \\
&= \int_z \nabla_{\phi} [Q_{\phi}(z|x) \cdot ELBO] dz = \int_z Q_{\phi}(z|x) \cdot \nabla_{\phi} ELBO dz + \int_z ELBO \cdot \nabla_{\phi} Q_{\phi}(z|x) dz \\
&= E_{Q_{\phi}}(z|x) [ELBO] + \int_z ELBO \cdot \nabla_{\phi} Q_{\phi}(z|x) dz
\end{aligned} \tag{12}$$

The challenge in computing the gradient of the loss function with respect to the variational parameters ϕ lies in the second term of equation (12), which involves an integral that is difficult to compute directly. The reparameterization trick addresses this by expressing the latent variable z as a deterministic function g of the input x , the variational parameters ϕ , and an auxiliary noise variable ε . The noise variable ε is sampled from a simple distribution $P(\varepsilon)$, typically a standard Gaussian. The function g is designed such that both ϕ and the input data x influence the output z deterministically, while the distribution of g itself remains constant throughout training. This separation allows us to propagate gradients through the deterministic part of the reparameterization, enabling efficient optimization of the variational parameters ϕ .

$$z = g(\phi, x, \varepsilon) \tag{14}$$

$$L(x) = -E_{P(\varepsilon)} [Log P_{\theta}(z, x) - Log Q_{\phi}(z|x)] \tag{15}$$

$$\nabla_{\theta, \phi} L(x) \approx \frac{1}{L} \sum_{i=1}^L \nabla_{\theta, \phi} [Log P_{\theta}(z, x) - Log Q_{\phi}(z|x)] \tag{16}$$

The reparameterization trick allows us to express the loss function and the ELBO as expectations over the noise variable ε . The ELBO is then further decomposed into the expected log-likelihood of the data given the latent representation and the KL divergence between the approximate posterior and the prior distribution. The gradient of the loss function with respect to the model parameters θ and ϕ can be efficiently estimated using Monte Carlo sampling.

The specific form of the variational distribution $Q_{\phi}(z|x, \theta)$ is assumed to be a Gaussian distribution with mean $g(x, \phi, \varepsilon)$ and variance σ^2 . The KL divergence between this Gaussian distribution and the prior distribution $P_{\theta}(z)$, which is also a standard Gaussian, is then computed. The final expression for the KL divergence involves the logarithm of the variance σ^2 , the trace of the covariance matrix Σ , and the squared Euclidean norm of the mean μ .

$$\begin{aligned}
ELBO &= E_{P(\varepsilon)} [Log P_\theta(z, x) - Log Q_\phi(z|x)] \\
&= E_{P(\varepsilon)} [Log \left[P_\theta\left(\frac{x}{z}\right) \cdot P_\theta(z) \right] - Log Q_\phi(z|x)] \\
&= E_{P(\varepsilon)} \left[Log P_\theta\left(\frac{x}{z}\right) + Log P_\theta(z) - Log Q_\phi(z|x) \right] \\
&= E_{P(\varepsilon)} [Log P_\theta(x|z)] + E_{P(\varepsilon)} \left[Log \left(\frac{Q_\phi(z|x)}{P_\theta(z)} \right) \right]
\end{aligned} \tag{17}$$

The ELBO is approximated using Monte Carlo sampling, and the loss function over the entire dataset is defined as the average of the loss function computed on mini-batches. The number of data points in the dataset and the mini-batch are denoted by N and M , respectively.

$$\approx \frac{1}{L} \sum_{i=1}^L \nabla_\theta [Log P_\theta(z, x)] - D_{KL}(Q_\phi(z|x) \| P_\theta(z)) \tag{18}$$

In the next steps, we derive the KL divergence between two Gaussian distributions. We introduce the Gaussian probability distribution function and then apply the KL divergence formula.

$$Q_\phi(z|x) = g(\phi, x, \varepsilon) = \mathcal{N}(\mu, \sigma) \tag{19}$$

$$\mathcal{N}(z, \mu, \sigma) = \frac{1}{\sigma\sqrt{2\pi}} e^{\frac{1}{2}\left(\frac{z-\mu}{\sigma}\right)^2} \tag{20}$$

$$D_{KL}(Q_\phi(z|x) \| P_\theta(z)) = \int_Z Q_\phi(z|x) \cdot Log \left(\frac{Q_\phi(z|x)}{P_\theta(z)} \right) dz = \int_Z (Q_\phi(z|x) \cdot Log \frac{1}{\sigma} e^{\frac{1}{2}\left(\frac{z-\mu}{\sigma}\right)^2} - z^2) dz \tag{21}$$

$$\begin{aligned}
&= -\frac{1}{2} \int_Z (Q_\phi(z|x) \cdot \left[Log \sigma^2 - z^2 + \frac{1}{\sigma^2} (z - \mu)^2 \right]) dz \\
&= \frac{1}{2} \left[Log \sigma^2 \int_Z Q_\phi(z|x) dz - \int_Z z^2 Q_\phi(z|x) dz + \frac{1}{\sigma^2} \int_Z (z - \mu)^2 Q_\phi(z|x) dz \right]
\end{aligned} \tag{22}$$

By taking into account the following identities:

$$\int_Z Q_\phi(z|x) = 1, \mu^2 + \sigma^2 = \int_Z z^2 \mathcal{N}(z, \mu, \sigma) dz, \sigma^2 = \int_Z (z - \mu)^2 \mathcal{N}(z, \mu, \sigma) dz$$

Equation (22) becomes:

$$= -\frac{1}{2} [Log \sigma^2 - \mu^2 - \sigma^2 + 1] \tag{23}$$

And the ELBO becomes:

$$ELBO \approx \left[\frac{1}{L} \sum_{i=1}^L Log P_\theta(x, z) \right] + \frac{1}{2} [Log \sigma^2 - \mu^2 - \sigma^2 + 1] \tag{24}$$

Then we can compute the estimation of the $Log P_\theta(x, z)$

$$L(x) = -E_{P(\varepsilon)} Log P_\theta(x, z) \approx \left[\frac{1}{L} \sum_{i=1}^L Log P_\theta(x, z) \right] \tag{25}$$

Consequently the loss function over the entire data set is given by:

$$L(D) \approx \frac{N}{M} L(X^M) - \frac{N}{ML} \sum_{j=1}^L \log P_{\theta} \left(\frac{x_j}{z} \right) \quad (26)$$

$L(X^M)$ being the loss function computed on a mini-batch X^M of size dataset D .

3.2. Proposed VAE-based predictive maintenance model

Fig. 2 provides a schematic representation of this proposed VAE-based predictive maintenance model, illustrating the overall process and the interaction between its components.

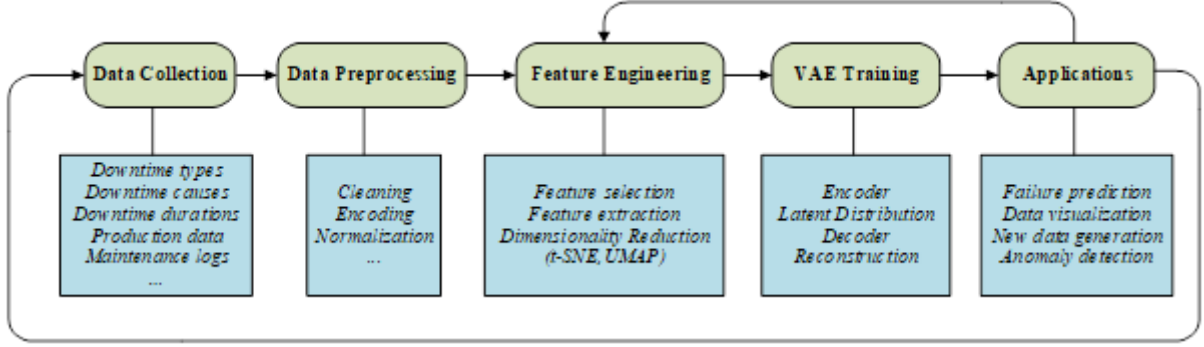


Fig. 2. Schematic representation of the proposed VAE-based predictive maintenance model

3.3. Framework overview

The proposed framework, shown in Figure 2, includes a series of interrelated steps designed to extract actionable insights from downtime data in industrial production systems.

- **Data Collection:** Collects comprehensive downtime information, including type, cause, duration, and associated contextual factors, from disparate sources such as downtime logs, production data, maintenance records, and sensor readings.
- **Data Preprocessing:** Cleans and prepares raw data by handling missing values, encoding categorical variables, normalizing numeric features, and removing outliers to ensure data quality and consistency.
- **Feature Engineering:** Uses domain expertise and statistical methods to select, extract, and transform relevant features from the preprocessed data. Dimensionality reduction techniques can be applied to capture essential information while reducing noise and complexity.
- **VAE Training:** Uses a Variational Autoencoder (VAE) to learn a compressed representation of the engineering features, capturing the underlying structure and relationships within the data.
- **Applications:** Uses the trained VAE for anomaly detection, failure prediction, data visualization, and generation of synthetic failure scenarios to facilitate proactive maintenance and improved system understanding.
- **Feedback Loops:** Incorporates bi-directional feedback mechanisms between the Applications phase and the Data Collection & Feature Engineering phases. Lessons learned from VAE applications inform and refine data collection strategies and feature engineering techniques, fostering continuous improvement.

This framework provides a systematic approach to harnessing the power of VAE for downtime data analysis, enabling proactive maintenance, anomaly detection, and improved understanding of system behavior in industrial production environments.

The VAE architecture is designed to address the challenges of data scarcity and complexity in African industrial environments. By learning a compressed representation of the data, the model can effectively capture the intricate relationships within the operation of the system, even with limited data availability.

3.4. Training process

The VAE model is trained using a variational inference approach that minimizes a loss function that balances two objectives:

Reconstruction Loss: This measures the difference between the reconstructed data and the original input data. The model aims to minimize this loss to ensure accurate data reconstruction.

KL Divergence Loss: This measures the difference between the distribution of the latent representation and a standard normal distribution. Minimizing this loss encourages the latent space to have a well-defined and interpretable structure.

The training process involves iteratively feeding the model with sensor data and adjusting the model parameters to minimize the overall loss function. This iterative process allows the model to learn the complex dynamics of the industrial system and identify potential anomalies.

3.5. Model functionalities

The proposed VAE-based model provides several key features to improve predictive maintenance:

Anomaly detection: The model can detect anomalies by comparing the reconstruction error of the input data to a predefined threshold. Large reconstruction errors indicate potential deviations from normal behavior, suggesting potential equipment failures.

Data Generation: The VAE can generate synthetic data that resembles the distribution of real-world sensor data. This capability is particularly useful in scenarios where data is scarce, allowing for the augmentation of training data sets and improving model performance.

Interpretability: The latent space representation learned by the VAE provides insight into system behavior. By analyzing the latent variables, engineers and maintenance personnel can gain a deeper understanding of the system dynamics and identify potential failure modes.

3.6. VAE model architecture and training details

The Variational Autoencoder (VAE) implemented in this study is specifically designed for time series analysis, explicitly modeling sequential dependencies. Its architecture utilizes 1D convolutional layers for both the encoder and decoder to process sequential windows of data. The model takes a window of 10 observations as input, where each time step contains 5 features. The latent space, a key hyperparameter, is generally set to a latent_dim of 16 for the robust evaluation, but was 8 for the initial evaluation.

The Encoder takes the input sequence and processes it through a series of 1D convolutional layers combined with pooling operations. These layers progressively extract features and reduce the sequence length. The processed output is then flattened and projected to the mean and log-variance parameters of the latent distribution through dedicated dense layers, utilizing linear activation.

The Reparameterization Trick is employed to enable backpropagation through the sampling process. A latent vector is sampled from these parameters. This involves a random component from a standard normal distribution, which is scaled by the standard deviation derived from the log-variance, and then shifted by the mean. This sampled vector (with dimensions varying based on the specific evaluation phase) is subsequently passed to the decoder.

The Decoder takes the latent sample, expands it through an initial dense layer, and then reshapes it into a suitable sequence format. It utilizes 1D deconvolutional (Conv1DTranspose) layers to progressively reconstruct and upsample the data back to the original input sequence length. The final output layer is a Conv1D layer, reconstructing the original 5 features for each time step in the sequence with a linear activation function.

For training, the model employs the Adam optimizer (gradient descent-based optimization algorithm) with a fixed learning rate of 0.001 for the initial evaluation, 2e-05 for the robust evaluation, and a batch size of 64 for both evaluations. The VAE's total loss, based on the Evidence Lower Bound (ELBO), combines a Reconstruction Loss (Mean Squared Error) and a KL Divergence Loss (which regularizes the latent distribution against a standard normal prior), with a KL Divergence Weight of 1.0 for initial evaluation and 0.005 for the robust evaluation. The model is trained for 1000 epochs for initial evaluation and 2000 epochs for the robust evaluation. Additionally, Dropout with a rate of 0.2 is applied within the network to prevent overfitting.

3.7. System description

To understand the operational challenges and improvement opportunities within a typical industrial plant, consider the visual data shown in Figure 3. It provides a concise overview of the actual plant, its control panel, the frequency of major equipment failures, and the leading causes of production downtime.



Frequency counts for Equipment:

Equipment	
mill	438
screw conveyor M766	27
energy	25
flour screw conveyor M766	23
Compressor	19
cylinder	17
power failure	17
cylinder machine B5f	13
Microdoser	13
silo	9
screw flour	8
cylinder machine B1-B2	6
plansifter	6
safety plansifter	6

Frequency counts for Cause_of_Shutdown:

Cause_of_Shutdown	
power failure	136
flour augers AI766	67
flour augers	46
voltage drop	23
lifts at B3 sluice	21
sound circuit clogging	19
compressor malfunction	15
max. level of flour balance probe	14
scheduled stop	13
maintenance	13
empty bushel	13
maintenance stop	12
overstock	9
full sound silo	9
empty bushel B1	8

Fig. 3. The real industrial plant with key components failures frequencies

3.7.1. Dataset

The model was evaluated using a real data set collected from an industrial plant LA PASTA located in Central Africa, specifically in Douala Cameroun. The industrial system under study consists of 76 different pieces of equipment and components. The original data set shows frequent occurrences across 750 recorded instances, spanning five critical dimensions: the equipment involved, the nature of the shutdown, the underlying cause, and the resulting downtime. The original data is shown in Figure 4.

	Date	Equipment	Cause_of_Shutdown	Type_of_Shutdown	Nature_of_Shutdown	Downtime
0	2020-01-01	manufactory	chutdown for plant closure	SD	D	1440
1	2020-01-02	mill	maintenance	SD	D	1440
2	2020-01-03	mill	power failure	USD	E	210
3	2020-01-03	cylinder machine B5f	M708 B5F malfunction	USD	E	36
4	2020-01-04	mill	empty bushel	USD	D	40
5	2020-01-05	mill	sound circuit clogging	USD	D	35
6	2020-01-05	screw conveyor M766	flour augers AI766	USD	D	5
7	2020-01-06	screw conveyor M766	flour augers AI766	USD	D	65

Fig. 4. Original dataset

Before training the model, the dataset was preprocessed to handle missing values, normalize the data, and prepare it for the VAE architecture. The data frame represents frequencies associated with various aspects of plant operations and shutdowns, spanning the period from January 1, 2020 to October 31, 2020 (Figure 5). It consists of 750 rows (data points) and 5 columns, each representing a specific frequency metric.

Date	freq_equipment	freq_cause_shutdown	freq_Type_of_Shutdown	freq_Downtime	freq_Nature_of_Shutdown
2020-01-01	0.001333	0.001333	0.08	0.046667	0.624000
2020-01-02	0.584000	0.017333	0.08	0.046667	0.624000
2020-01-03	0.584000	0.181333	0.92	0.004000	0.024000
2020-01-03	0.017333	0.009333	0.92	0.004000	0.024000
2020-01-04	0.584000	0.017333	0.92	0.024000	0.624000
...
2020-10-29	0.033333	0.181333	0.92	0.062667	0.201333
2020-10-30	0.002667	0.001333	0.92	0.004000	0.150667
2020-10-30	0.033333	0.181333	0.92	0.062667	0.201333
2020-10-31	0.012000	0.012000	0.92	0.058667	0.624000
2020-10-31	0.033333	0.030667	0.92	0.062667	0.201333

750 rows × 5 columns

Fig. 5. Encoded dataset

- **freq_equipment**: The range of values indicates the relative frequency of equipment related events. Higher values indicate more frequent occurrences, which can help prioritize maintenance or root cause investigations.
- **freq_cause_shutdown**: This shows the percentage of equipment events that result in shutdowns. Lower values compared to **freq_equipment** are still positive and show system resilience, but areas with higher ratios may need attention to improve fault tolerance.
- **freq_Type_of_Shutdown**: The dominance of one type of shutdown (0.92) is critical. This type probably represents the most common reason for shutdowns, making it a prime target for process optimization or preventive measures.
- **freq_Downtime**: These values now indicate the percentage of time the mill is down. Although they're relatively low, the economic impact of downtime in an industrial plant can be significant and warrants further analysis to identify opportunities for improvement.
- **freq_Nature_of_Shutdown**: The most frequent value (0.624000) represents the predominant type or category of shutdown. Understanding the causes of this category could lead to targeted interventions to minimize its occurrence.

3.7.2. Evaluation metrics

The following metrics were used to evaluate the performance of the model:

Reconstruction error: This metric measures the difference between the reconstructed data and the original input data. Lower reconstruction error indicates better model performance in capturing the underlying data distribution. The specific reconstruction error metric used is Mean Squared Error (MSE), R-squared (R²) was also evaluated.

3.7.3. Experimental procedure

The following steps were taken to evaluate the performance of the model:

The data set was divided into training, validation, and test sets. The training set was used to train the VAE model, the validation set was used to tune the hyperparameters of the model, and the testing set was used to evaluate the final performance of the model. The data set was divided into 70% training, 10% validation, and 20% test sets. Early stopping techniques, which monitor the model's performance on a withheld portion of the training data during training, were used.

The VAE model was trained on the training set using the variational inference approach described in Section 3.1. The training process was continued until the model converged and achieved a satisfactory level of performance on the validation set. However, early stopping techniques were used to monitor the model's performance on a withheld portion of the training data during training.

The trained model was evaluated on the test set using the metrics described in Section 3.2. The performance of the model was compared to other benchmark models in the literature, such as traditional machine learning algorithms and other deep learning architectures.

4. RESULTS, INTERPRETATIONS AND VALIDATION

This section presents the results of the proposed interpretable VAE-based predictive maintenance model, focusing on its performance in terms of reconstruction error, anomaly detection, and data generation. We also discuss the interpretability of the model by analyzing the latent space representation.

4.1. Initial performance evaluation (Regression aspect of the autoencoder)

While VAEs are primarily known for generative tasks, their ability to learn a compressed representation and reconstruct data makes them suitable for applications with a regression component. This justifies the use of regression metrics like Mean Squared Error (MSE) and R-squared (R^2) in evaluating VAE performance. Specifically, MSE is valuable for assessing the accuracy of data reconstruction, which is crucial in applications like dimensionality reduction and denoising. Furthermore, when VAEs are applied to time series prediction like in this study, MSE measures the accuracy of forecasting future values. Even in anomaly detection, where the primary goal isn't regression, MSE can quantify the reconstruction error, with higher values indicating potential anomalies. Therefore, considering the inherent reconstruction capabilities of VAEs and their applicability to tasks with regression elements, employing MSE and R^2 provides a comprehensive evaluation of VAE performance.

For this initial evaluation, the VAE model was trained for 1000 epochs. The model employs the Adam optimizer (gradient descent-based optimization algorithm) with a fixed learning rate of 0.001, and a batch size of 64. The VAE's total loss, based on the Evidence Lower Bound (ELBO), combines a Reconstruction Loss (Mean Squared Error) and a KL Divergence Loss (which regularizes the latent distribution against a standard normal prior), with a KL Divergence Weight of 1.0. Additionally, Dropout with a rate of 0.2 was applied within the network to prevent overfitting.

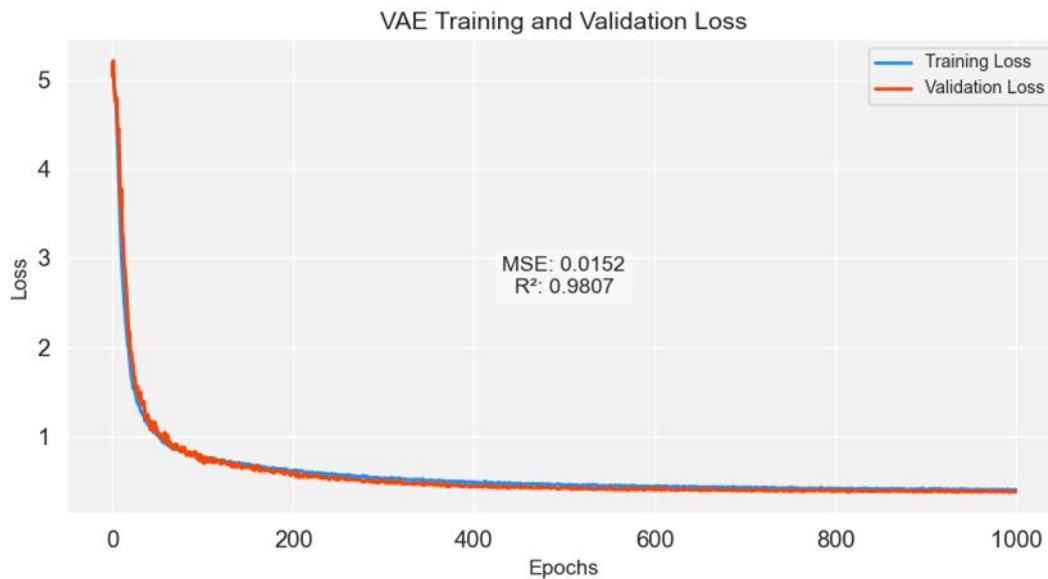


Fig. 6. VAE training loss vs validation loss

The plot demonstrates the model's learning process, showing a rapid initial decrease in both training and validation losses, followed by a gradual convergence. This suggests the model's potential for both timely anomaly detection and long-term, reliable deployment.

Tab. 1. Comparison of model performance with literature

Model	Dataset	MSE	R ²
Proposed VAE	industrial mill LA PASTA	0.0152	0.9807
XGBRegressor	mechanical properties of rubberized concrete	0.33	0.976
CNN-LSTM	Tensile Strength of Friction Stir Welded AA7075-T651 Aluminum Alloy5 (Vibration sensor data from bearings under different operating conditions.)	0.002	0.976

Table 1 compares the performance of the proposed VAE model with other relevant models from the literature. It presents different machine learning approaches, including ensemble methods such as XGBRegressor and deep learning models such as CNN-LSTM.

It is important to note that the performance metrics presented for these baseline models are derived from various studies in the existing literature. For example:

The results for the XGBRegressor are from SenthilVadivel et al. (2024), which focuses on predicting static mechanical properties of rubberized concrete using experimental data. This represents a different problem domain and data set characteristic of continuous time series data.

The CNN-LSTM performance is cited from Song et al. (2023), which addresses a problem related to vibration sensor data from bearings under different operating conditions for predicting tensile strength. Although these are time-series data, the specific data set, problem formulation (e.g., direct strength prediction vs. anomaly detection/RUL), and characteristics may still differ from our primary industrial system data.

As a result, these external studies used data sets with different characteristics, which often included differences in raw data dimensionality, specific feature engineering, and time horizons. Therefore, this table serves as an illustrative summary of the general landscape of methods and their typical performance ranges in different application contexts across the field, rather than a direct, controlled benchmark comparison on a single, unified dataset. This approach is consistent with a qualitative benchmarking perspective and provides a contextual understanding of the VAE's standing in the broader field. Furthermore, it is critical to emphasize that the VAE is a generative model, a fundamental distinction from the discriminative nature of many of these baseline models, which enables unique capabilities relevant to industrial system monitoring, such as learning the underlying data distribution for robust future anomaly detection.

4.2. Robustness evaluation through cross-validation

This section focuses on the rigorous evaluation of the Variational Autoencoder (VAE) model, with particular emphasis on demonstrating its robustness and consistent performance across different data subsets. By employing a comprehensive cross-validation strategy, we aim to establish the reliability of the model and its ability to effectively generalize to unseen operational data.

4.2.1. Cross-validation methodology

To ensure a robust and generalized assessment of the performance of the Variational Autoencoder (VAE) model, a K-fold cross-validation strategy was implemented. This approach is particularly important for moderate-sized datasets, such as the 750 instances used in this study, as it provides a comprehensive assessment of model stability and mitigates the risk of reporting results influenced by a single, arbitrary data split.

The VAE architecture employed a sequential design, processing data through windows of 10 timesteps, each containing 5 features. The model projects these inputs into a latent space of 16 dimensions, balancing reconstruction quality with a KL divergence weight of 0.005. Training was performed with an Adam optimizer at a learning rate of $2e-05$, using a batch size of 64 and applying a dropout rate to prevent overfitting.

The dataset was split into 5 folds, with the data randomly shuffled prior to splitting to ensure representative subsets. In each iteration, the VAE model was independently initialized and trained on the data from four folds, while the remaining fold served as the test set. This process was repeated five times to ensure that each data instance contributed to both the training and evaluation phases. Each model instance was trained for 2000 epochs to facilitate convergence and thorough learning of the underlying data patterns. The training set for each fold consisted of approximately 592-593 instances, providing sufficient data for model training.

4.2.2 Reconstruction performance analysis

The primary metric used to evaluate the performance of the VAE was the Mean Squared Error (MSE) of the reconstruction. This metric quantifies the average squared difference between the input sequential data and its reconstruction by the VAE. A lower MSE indicates a higher fidelity of reconstruction, indicating the model's effectiveness in capturing and representing the "normal" patterns within the time series data. This capability is fundamental to subsequent anomaly detection tasks, where significant deviations from this learned normal reconstruction error indicate anomalous behavior.

The cross-validation produced the following aggregated reconstruction MSE results

- Mean Reconstruction MSE: 0.0074
- Standard Deviation of Reconstruction MSE: 0.0002
- 95% Confidence Interval for Mean Reconstruction MSE: (0.0072, 0.0076)

The individual reconstruction MSE for each of the five folds was observed to be: Fold 1: 0.0076, Fold 2: 0.0074, Fold 3: 0.0074, Fold 4: 0.0071, and Fold 5: 0.0074. These results, including the number of training instances per fold, are visually presented in Figure 7.

The results demonstrate the remarkable stability and consistent performance of the VAE model across different subsets of the data. The exceptionally low standard deviation of 0.0002 highlights the minimal variance in reconstruction performance across different data partitions, confirming the robustness and generalizability of the model. Furthermore, the very narrow 95% confidence interval of (0.0072, 0.0076) provides a precise statistical estimate of the expected mean reconstruction MSE, reinforcing confidence in the model's predictive performance on unseen, similar industrial systems.

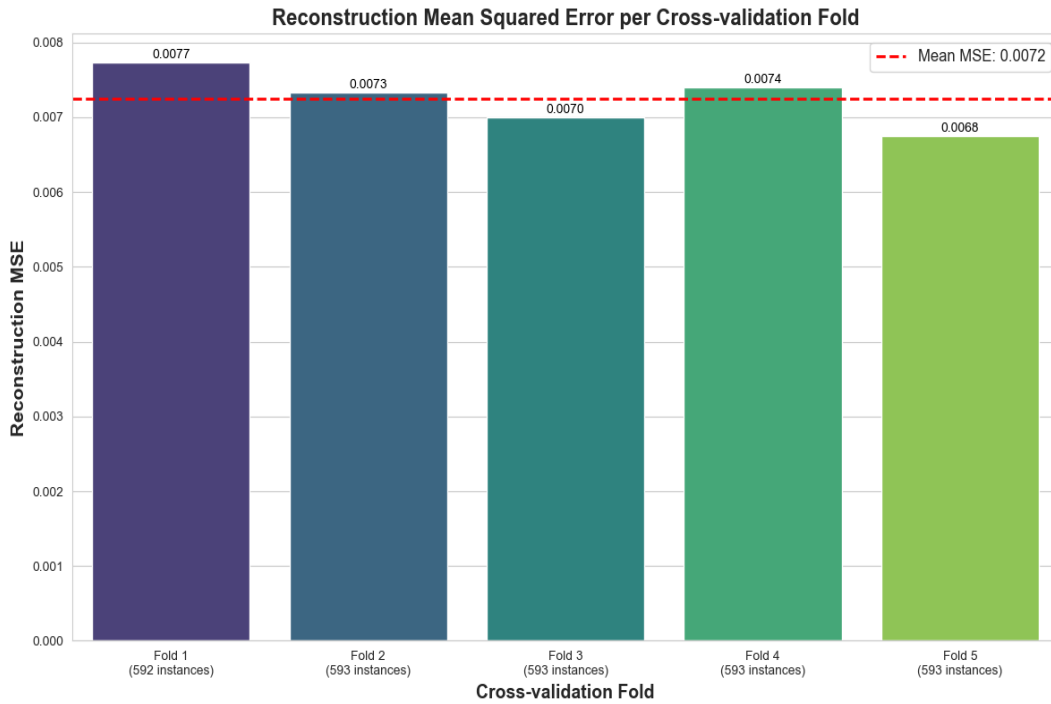


Fig. 7. Reconstruction mean Squared error per cross-validation fold

4.3. Anomaly detection and data generation

The VAE's ability to reconstruct the input data with low error allows for effective anomaly detection. Large reconstruction errors indicate potential deviations from normal behavior, signaling potential equipment failures.

4.3.1. Unveiling system dynamics: A temporal and predictive analysis of downtime frequency

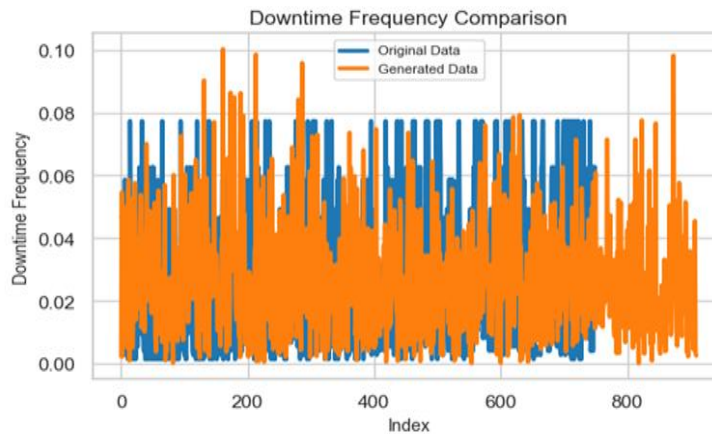


Fig. 8. Downtime frequency comparison

The Downtime Frequency Comparison graph (Figure 8) is a powerful tool for understanding both historical and potential future downtime patterns in an industrial system. By charting the evolution of downtime frequency and comparing actual data with the output of a predictive model, it provides actionable insights for improving system reliability and performance.

The temporal analysis reveals the inherent variability of the system, with both data sets showing significant fluctuations in downtime occurrences. This dynamic behavior underscores the system's sensitivity to a spectrum of influencing factors, from external conditions to component wear. While the generated data is generally consistent with the original, there are discrepancies that highlight the need for continued model refinement to improve predictive accuracy. Peaks observed in both datasets pinpoint periods of heightened vulnerability, prompting focused investigation into their causes and enabling proactive preventative measures.

From a predictive standpoint, the model's ability to mimic the original data trends, despite its imperfections, underscores its potential to predict future downtime patterns. This predictive capability is critical for implementing proactive maintenance strategies, allowing organizations to anticipate and address periods of elevated downtime risk before costly disruptions occur. In addition, insights gained from the model's analysis of downtime drivers can inform operational optimization efforts, helping to reduce downtime and improve system availability.

Looking deeper, the seemingly random nature of the variation in downtime frequency points to the stochastic nature of the industrial system, where unpredictable events and factors can have a significant impact on its operation. This underscores the inherent complexity of such systems, where myriad components and processes interact, often with cascading effects that defy precise prediction.

The occasional spikes in both data sets potentially represent critical downtime points or thresholds, indicating increased system vulnerability. Identifying these critical points enables maintenance teams to proactively implement preventive measures, such as predictive maintenance or operating parameter adjustments, to minimize downtime and associated costs.

The model's ability to closely replicate the statistical characteristics of the original data speaks to its effectiveness in capturing the essential dynamics of the system. This opens the door to various applications, including simulation, scenario testing, and data augmentation, all of which can contribute to a deeper understanding of the system's behavior.

However, even subtle differences between the original and generated data contain valuable information. These differences may indicate anomalies or unexpected behavior not fully captured by the model. Examining these nuances can lead to new insights, potentially revealing hidden system vulnerabilities or opportunities for optimization.

In summary, this graph transcends its visual simplicity to provide a profound window into the complexity and dynamics of an industrial system. By carefully analyzing its patterns and variations, we can gain invaluable insight into system behavior, identify critical points of failure, and optimize both maintenance and operational strategies. The resulting improvements in system reliability, efficiency, and overall performance ultimately translate into significant cost savings and improved productivity.

4.3.2. Analysis of shutdown cause frequency data: Implications for a complex industrial system

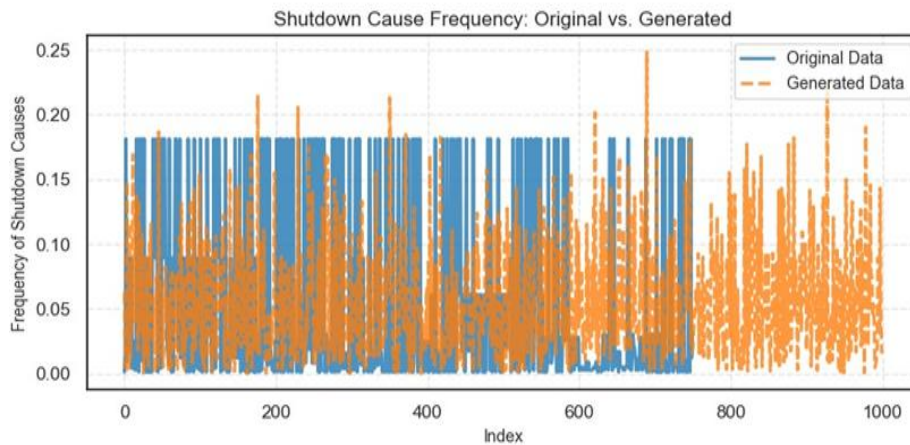


Fig. 9. Shutdown cause frequency comparison

The line graph (Fig. 9.) compares the frequency of shutdown causes between the original and generated data of the industrial mill, providing insight into the operational dynamics and potential failure modes of a complex industrial system. The original data shows a relatively stable pattern, suggesting well-established operating procedures and maintenance practices. Occasional spikes, however, indicate underlying weaknesses or recurring problems that warrant further investigation.

In contrast, the data generated to predict future failures exhibits a wider range of frequencies, indicating the potential for increased instability or unanticipated events. This variability may be intentional to represent a broader range of scenarios for risk assessment and proactive maintenance.

While the generated data is broadly consistent with the full range of observed frequencies, the increased volatility underscores the potential for rare but high-impact events. This discrepancy highlights opportunities for model refinement and underscores the importance of considering both frequent and infrequent shutdown causes in risk management strategies.

In the context of a complex industrial system, understanding and predicting the frequency of shutdown causes is critical to optimizing operations, minimizing downtime, and ensuring system reliability. The analysis presented suggests that the generative model, despite its limitations, is a promising tool for proactive maintenance and risk mitigation. By further refining the model and integrating it into decision support systems, the industrial system can increase its resilience and achieve greater operational efficiency.

4.3.3. Analysis of equipment-related event frequencies in a complex industrial system

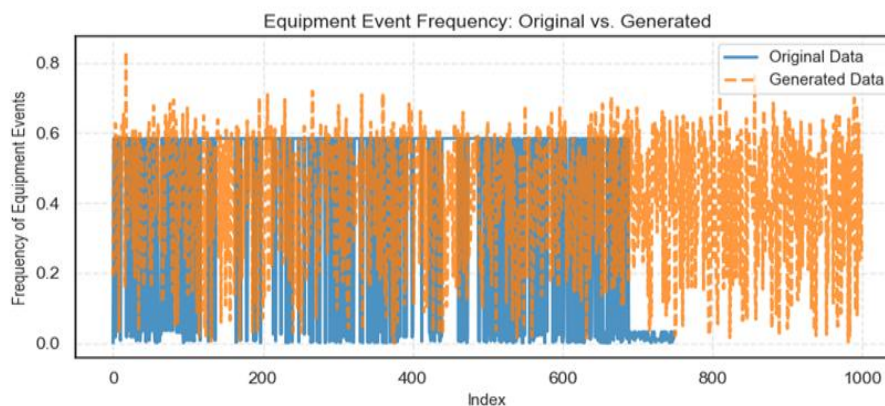


Fig. 10. Equipment event frequency: Original vs. generated

This section analyzes the graph comparing the frequency of equipment-related events in a complex industrial system shown in Figure 10, using both original and generated data. The original data shows relative

stability, mostly fluctuating around 0.05, indicating a well-controlled system. However, occasional spikes indicate periods of disturbance or problems that require further investigation. Most frequencies fall below 0.2, indicating that equipment events are relatively rare during normal operation.

In contrast, the generated data has a much wider range of frequencies (0 to 0.8), indicating that the model explores different scenarios, including low probability, high impact events. The generated frequencies are more evenly distributed, indicating consideration of multiple factors and their complex interactions. This wider range could help identify potential failure scenarios or situations with increased equipment-related events.

The difference between the original and generated data highlights the complexity of the system. The generative model captures a wider range of potential behaviors, which is critical for anticipating unusual situations or failures. This data can be used for predictive maintenance by identifying critical frequency thresholds, enabling alerts and preventive actions. It also enables risk assessment by exploring high-frequency scenarios to evaluate system resilience and identify vulnerabilities. Finally, the model can simulate the impact of different operational strategies or system modifications on event frequency, optimizing overall performance and reliability.

4.4. Interpretability and explainability: Unveiling the VAE's inner workings and system dynamics

The ability of t-SNE and UMAP to preserve nonlinear relationships in the projections provides a window into how the Variational Autoencoder (VAE) has learned to model the complex interactions inherent in the industrial system. This visualization provides valuable insight into both the behavior of the model and its understanding of the underlying data. The distribution of variables within the projections reveals those that have the most significant impact on clustering and data segregation. For example, the central position of `freq_equipment` in several clusters suggests its central role in the VAE's understanding of system behavior. The quality of the clusters in the projections, particularly the clear separation observed in t-SNE, indicates that the VAE has learned robust representations capable of handling unseen scenarios, suggesting good generalization ability. Furthermore, the consistent and accurate representation of different data groups in both projections suggests that the VAE has learned a fair and unbiased representation, minimizing the risk of discriminatory or misleading predictions in industrial applications. The following detailed analysis in Section 4.5, accompanied by Figure 11, further elaborates on how these abstract projections are interpreted to provide deep insights into the VAE's learned representations.

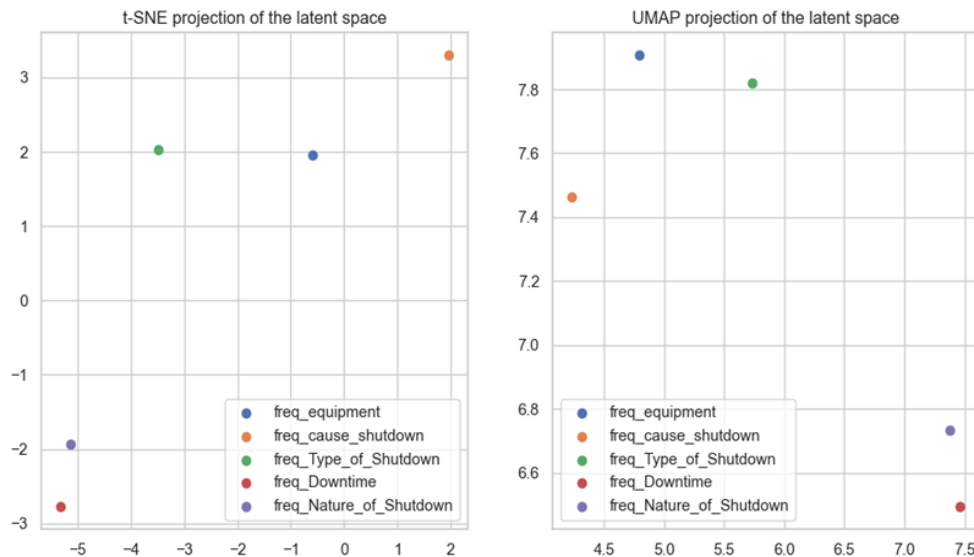


Fig. 11. Latent space visualization with t-SNE and UMAP

4.5. Deeper insights into the VAE model's behavior: Beyond descriptive analysis of the industrial system

Figure 11 shows two visualizations of latent space using t-SNE and UMAP. These techniques are powerful nonlinear dimensionality reduction algorithms that allow high-dimensional data (in this case, the VAE's learned latent representations) to be projected into a lower, more interpretable two-dimensional space. This visualization facilitates the interpretation of complex relationships between variables as understood by the VAE.

It is important to clarify the interpretation of these plots, particularly with respect to the axes. The numerical scales on the axes of the t-SNE and UMAP visualizations are abstract and do not represent specific physical units or directly correspond to the original input features. In addition, the specific ranges and numerical values on the t-SNE axes will inherently differ from those on the UMAP axes. This difference arises because each algorithm uses a different mathematical approach to construct its low-dimensional embedding:

t-SNE focuses on preserving local neighborhoods by using a probability distribution to map distances, and its scale is influenced by a "perplexity" parameter that can stretch or compress the final output. This often results in plots where distinct clusters are well separated, but the absolute distances between clusters may be less meaningful.

UMAP aims to preserve both local and global structure by constructing a fuzzy simplicial complex. Its optimization process also yields an arbitrary scale. While UMAP tends to preserve global structure better than t-SNE, its axes, like t-SNE's, are scaled in a way that is unique to its embedding process and not directly comparable to other projections or real-world units.

Therefore, the exact numerical values on the axes for either plot, or the difference in those values between the two plots, have no direct interpretability.

The interpretability of these visualizations comes primarily from the relative positions of the data points and the formation of clusters within this two-dimensional projection, not from the absolute values on the axes. Points that are close together in this projected space are considered very similar by the VAE in its high-dimensional understanding of the industrial system. Conversely, points that are far apart represent different or dissimilar characteristics. The color-coding of points by specific frequency-coded variables (e.g., `freq_equipment`, `freq_cause_shutdown`) is critical to this interpretation, allowing immediate visual identification of which variables contribute to particular clusters or occupy specific regions of latent space.

By analyzing these clusters and patterns within the latent space, engineers and maintenance personnel can gain a deeper understanding of system dynamics and identify potential failure modes. Technically, T-SNE and UMAP projections reveal how VAEs understand complex industrial data, especially when it is frequency coded. Distinct clustering patterns (such as the tight coupling of `freq_equipment` and `freq_cause_shutdown` in t-SNE) highlight the VAE's ability to prioritize key features for distinguishing system states. Furthermore, the contrasting distributions in t-SNE (characterized by clear, often discrete clusters) and UMAP (with smoother transitions) suggest a balance within the VAE's learned representation between discrete categorization and the capture of subtle variations. Well-defined clusters, particularly evident in t-SNE, indicate robust representations and suggest good generalization to unseen data. The consistent and accurate representation of different data groups in both projections further suggests that the VAE has learned a fair and unbiased representation, minimizing the risk of discriminatory or misleading predictions in industrial applications. These insights enable targeted maintenance (e.g., prioritizing `freq_type_of_shutdown` based on potential impact), anomaly detection, and root cause analysis.

4.6. Discussion

The results demonstrate the effectiveness of the proposed interpretable VAE-based predictive maintenance model in capturing the complex dynamics of industrial systems with limited data. The model's ability to reconstruct the input data with low error, generate synthetic data, and provide insights into the latent space representation highlights its potential for improving the reliability of complex industrial systems in the context of developing countries.

The interpretability of the model is a key advantage, enabling engineers and maintenance personnel to understand system behavior and make informed decisions. This approach contributes significantly to the growth and sustainability of industries in developing countries by reducing downtime, optimizing resource utilization, and promoting a culture of proactive maintenance.

However, it is important to note that the performance of the model depends on the quality and quantity of data available. Further research is needed to investigate the generalizability of the model to other types of industrial systems and data sets.

The proposed VAE-based model offers a promising solution for improving the reliability of complex industrial systems in developing countries. The interpretability of the model, coupled with its ability to handle data scarcity and complexity, makes it a valuable tool for predictive maintenance and optimization of industrial operations.

5. CONCLUSION AND FUTURE PERSPECTIVES

This research proposes a novel predictive maintenance approach using a Variational Autoencoder (VAE) specifically designed to improve the reliability of complex industrial systems, particularly addressing the challenges posed by data scarcity in developing countries. The developed VAE model, with its carefully tuned architecture and optimized parameters, demonstrates a robust ability to learn complex normal operating patterns from real-world time-series data.

The comprehensive K-fold cross-validation study clearly validated the model's high stability and generalization performance. This rigorous evaluation provides robust confirmation of the VAE's effectiveness, reinforcing the promising capabilities observed in initial assessments and definitively establishing its reliability across diverse data subsets. The consistently low mean reconstruction MSE and exceptionally low standard deviation across all folds indicate that the model's performance is remarkably consistent. This strong evidence of robustness directly addresses concerns about overfitting and variability, and establishes the VAE as a reliable tool for accurately characterizing normal system behavior and, by extension, identifying deviations indicative of potential perturbations. The low and stable reconstruction error underlying this approach positions it as a highly effective method for anomaly detection in continuous industrial monitoring.

Building on the robust foundation established in this work, several promising avenues for future research emerge:

1. Enhanced interpretability of latent space: Further efforts will be directed at deepening the interpretability of the latent space of the VAE. This could include developing novel visualization techniques to represent complex feature relationships, or using advanced machine learning interpretability methods (e.g., SHAP, LIME) to better understand which specific features or combinations of features contribute most to normal and anomalous patterns. This provides richer, more actionable insights for maintenance engineers.
2. Real-world deployment and edge computing: Investigate the deployment of the VAE model in real-time industrial environments, potentially on edge computing devices. This will include optimizing the model for computational efficiency and exploring its integration with existing IoT infrastructures to enable rapid anomaly detection in the field without constant cloud connectivity.
3. Multi-source data fusion: Extending the model to integrate and leverage data from multiple heterogeneous sensors or data sources (e.g., vibration, temperature, pressure, electrical signals) to build a more holistic understanding of system health and detect more complex, multimodal anomalies.

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Conflict of Interest

The authors report there are no competing interests to declare.

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